Solving Exponential and Logarithmic Equations using The Laws of Logs
These are the problems that allow students to understand the importance of The Law of Logs from the problems: Addition, Subtraction, Power, Roots.

Given a Exponential Equation

| $4^{\text {P }}$ | $=$ | 52 | Find the Power of 4 that equals 52 |
| :---: | :---: | :---: | :---: |
| $(\log ) 4^{\text {P }}$ | $=$ | 52 (log) | Take the Log of both sides |
| (P) $\times \log 4$ | = | $\mathbf{L o g}(52)$ | Distribute the Log on both sides |
| (P) $\times \mathbf{x} \mathbf{6 0 2 0}$ | $=$ | 1.716 | Evaluate Log 4 and Log 52 |
| P | $=$ | 1.7.16 / . 6020 | Divide both sides by . 6020 |
| P | $=$ | 2.8505 | Check N in $10^{\mathrm{E}}=\mathrm{N}$ |

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## Given a Exponential Equation

|  | $\mathbf{N}^{2.6}$ | $=$ | $8.6 \times 10^{+3}$ | Find Number to 2.6 Power $=86000$ |
| :---: | :---: | :---: | :---: | :---: |
| (Log) | $\mathbf{N}^{\mathbf{2 . 6}}$ | = | $\left(8.6 \times 10^{+3}\right)(\log )$ | Take the Log of both sides |
| (2.6) $\times$ L | $\log N$ | = | $\log \left(8.6 \times 10^{+3}\right)$ | Distribute the Log on both sides |
| (2.6) x | $\underline{\log } \mathbf{N}$ | $=$ | 3.9345 | Evaluate Log (8.6X10 ${ }^{+3}$ ) |
|  | N | $=$ | 1.7.16 / . 6020 | Divide both sides by 2.6 |
| (Anti) | N | = | 2.8505 (Anti) | Take the AntiLog of both sides |
|  | N | = | 32.6 | Check N that $32.6{ }^{2.6}=8.6 \times 10^{+3}$ |

